

DEPARTMENT OF MATHEMATICS

S.3 MATHEMATICS PAPER 256/2

TIME: 2 HOURS

INSTRUCTIONS

- Attempt all questions

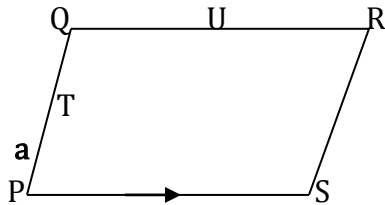
SECTION A

1. Express 0.23636.....in form of $\frac{a}{b}$ hence deduce the values of a and b. (4mks)
2. Without using tables or calculators, simply $\frac{\sqrt{35}}{\sqrt{7}} + \frac{\sqrt{30}}{\sqrt{6}}$ (4mks)
3. Without using tables or calculators, evaluate $4\log_{10}^2 - \log_{10}^{48} + \log_{10}^{30}$. (4mks)
4. Given points A (7, -4) and B (15, 2), find the length of \overline{AB} . (4mks)
5. Given the function $f(x) = \frac{4x+3}{x^2-6x+8}$, find the values of x for which f(x) is undefined
6. In a Forex Bureau x, the exchange rates are; \$.1 = Ugs . 2785, £.1 = \$. 3.00. How much pound starlings will a Ugandan trader get from Ush. 4, 570, 185. (4mks)
7. In a class of 10 students, 7 speak English 4 speak French and 2 speak neither of the two languages, find the probability that a student picked at random one language. (4mks)
8. Given that $\frac{(\frac{1}{27})^{-1} x 81^{\frac{3}{4}}}{3^{-2}} = 3^x$ (4mks)
9. Simplify $\left(\frac{\frac{1}{2}}{\frac{3}{4} + \frac{1}{3}}\right) \times \left(\frac{\frac{2}{5}}{\frac{1}{3} - \frac{2}{4}}\right)$ (4mks)
10. Find the highest common factor and lowest common multiple of 18, 12 and 16

SECTION B

11. In a class, 17 students like mathematics(M), 8 students like Art and mathematics, 9 like physics and Art while 7 like mathematics and physics, 7 students like math only, 1 likes Art only and 6 like physics only.
- (a) If 8 students don't like any subject, how many like;
- All the three subjects
 - At least two subjects
- (b) If a student is picked at random, what is the probability that he or she likes Art?
12. The distance between Kampala and Gulu is 475km. a lorry sets off from Kampala at 8:30am at a steady speed of 50km/hr before it had a breakdown 4 hours later that took $1\frac{1}{2}$ hours to rectify. It then proceeded with the journey to Gulu at a steady speed of 100km/hr. at 9:30am; a taxi set off from Gulu and reached Kampala at 1:30pm.
- Represent the journeys of the two vehicles on the same axes.
 - At what time and distance from Kampala when the vehicles met.
 - Determine the difference in their times of arrive.

13. The diagram below shows a parallelogram PQRS. $PT = \mathbf{a}$, $PS = \mathbf{b}$, T and U are midpoints of PQ and QR respectively.



Find the vectors in terms to \mathbf{a} and \mathbf{b}

- (i) PS (ii) SQ (iii) PR (iv) TU

END